

2.1 Operations w/ #s

- Obj: 1. Identify & use properties of real #s
 2. Evaluate expressions.

Real #s

Number Sets

Natural #s: ^{"Counting"} 1, 2, 3, 4,

Whole #s: 0, 1, 2, 3,

Integers: -3, -2, -1, 0, 1, 2, 3,

Rational #s: $\frac{p}{q}$ if p, q are integers

Irrational #s: any # whose decimal part does not terminate or repeat.

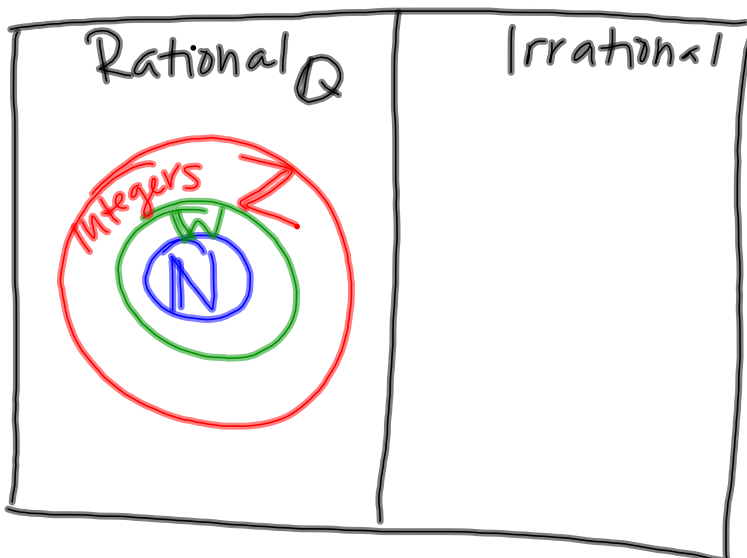
π : Irrational 3.14159.....

.333..... $\frac{1}{3}$ rational

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Real #s

\mathbb{R}



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Classify in as many ways as possible:

a. -2.7 b. 178,000 c. 12.020020002...

Real, Rational Real, Natural Whole, Integer Rational Real Irrational

d. $2.7272\overline{72} \dots$
Rational, Real

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Properties

	<u>Addition</u>	<u>Mult.</u>
For all real #s a, b, c		
Closure	$(a+b)$ is a real #	(ab) is a real #
Commutative	$a+b = b+a$	$ab = ba$
Associative	$(a+b)+c = a+(b+c)$	$(ab)c = a(bc)$
Identity	$a + 0 = a$	$a \cdot 1 = a$
Inverse	\exists $a \neq 0$ such that there exists $a + \underline{-a} = 0$ $2 + \underline{-2} = 0$ $3 + \underline{-3} = 0$	$a \cdot \underline{\frac{1}{a}} = 1$ $2 \cdot \underline{\frac{1}{2}} = 1$ $3 \cdot \underline{\frac{1}{3}} = 1$
<u>Distributive:</u>	$a(b+c) = ab+ac$	

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Simplify. Justify each step.

$$(a+b)(c-d)$$

$$* ac - ad + bc - bd \quad \text{Distrib.}$$

$$* ac + bc - ad - bd \quad \text{Commutative}$$

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Evaluate

$$\frac{2^2(12+8)}{5}$$

$$\frac{2^2(20)}{5} = \frac{4(20)}{5} = \frac{80}{5} = 16$$

$$\frac{6(11+3^2)}{8}$$

$$\frac{6(11+9)}{8} = \frac{6(20)}{8} = \frac{120}{8} = 15$$

$$\frac{18-2 \cdot 5}{15+3(-3)} = \frac{(18-10)}{(15-9)}$$

$$\frac{8}{6} = \frac{4}{3}$$

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